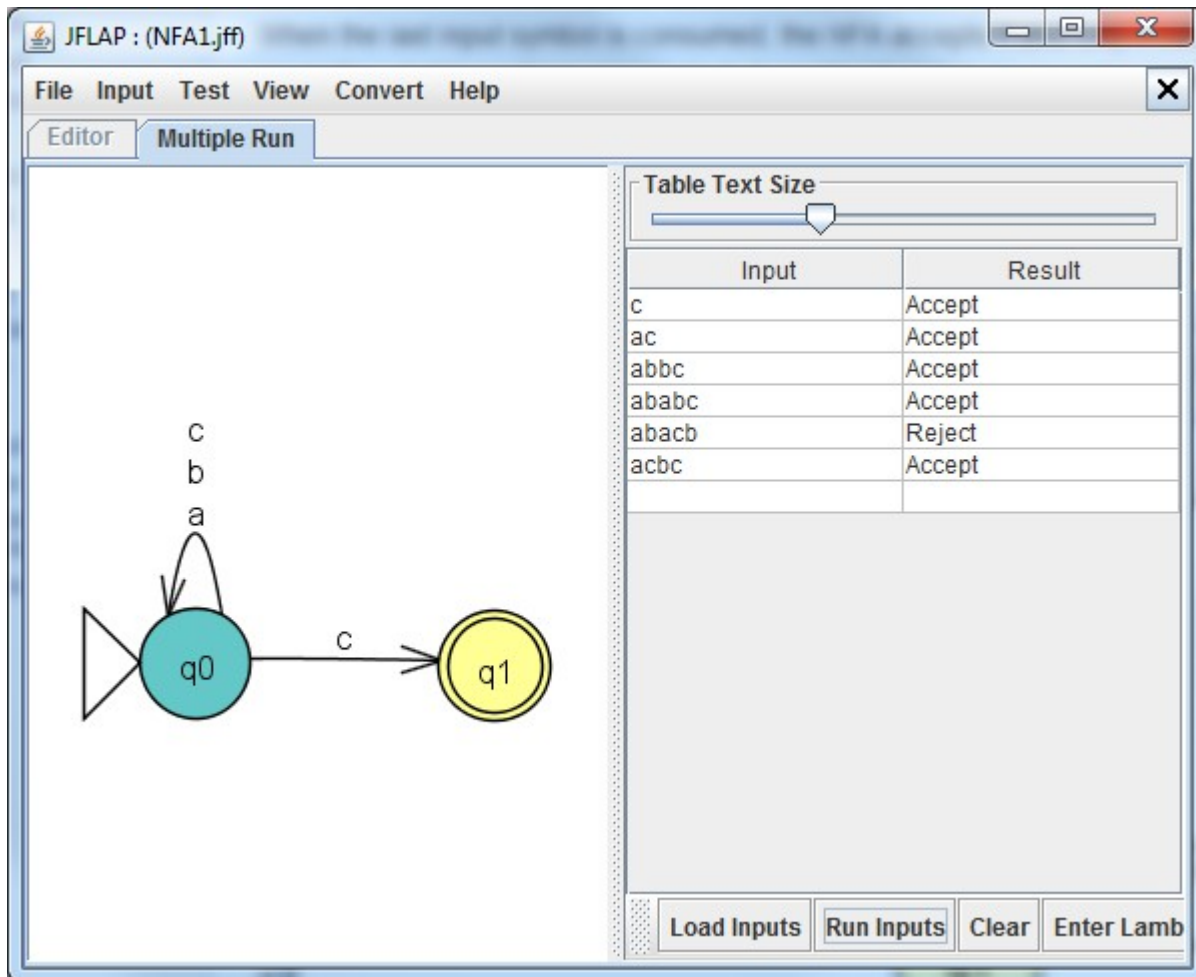


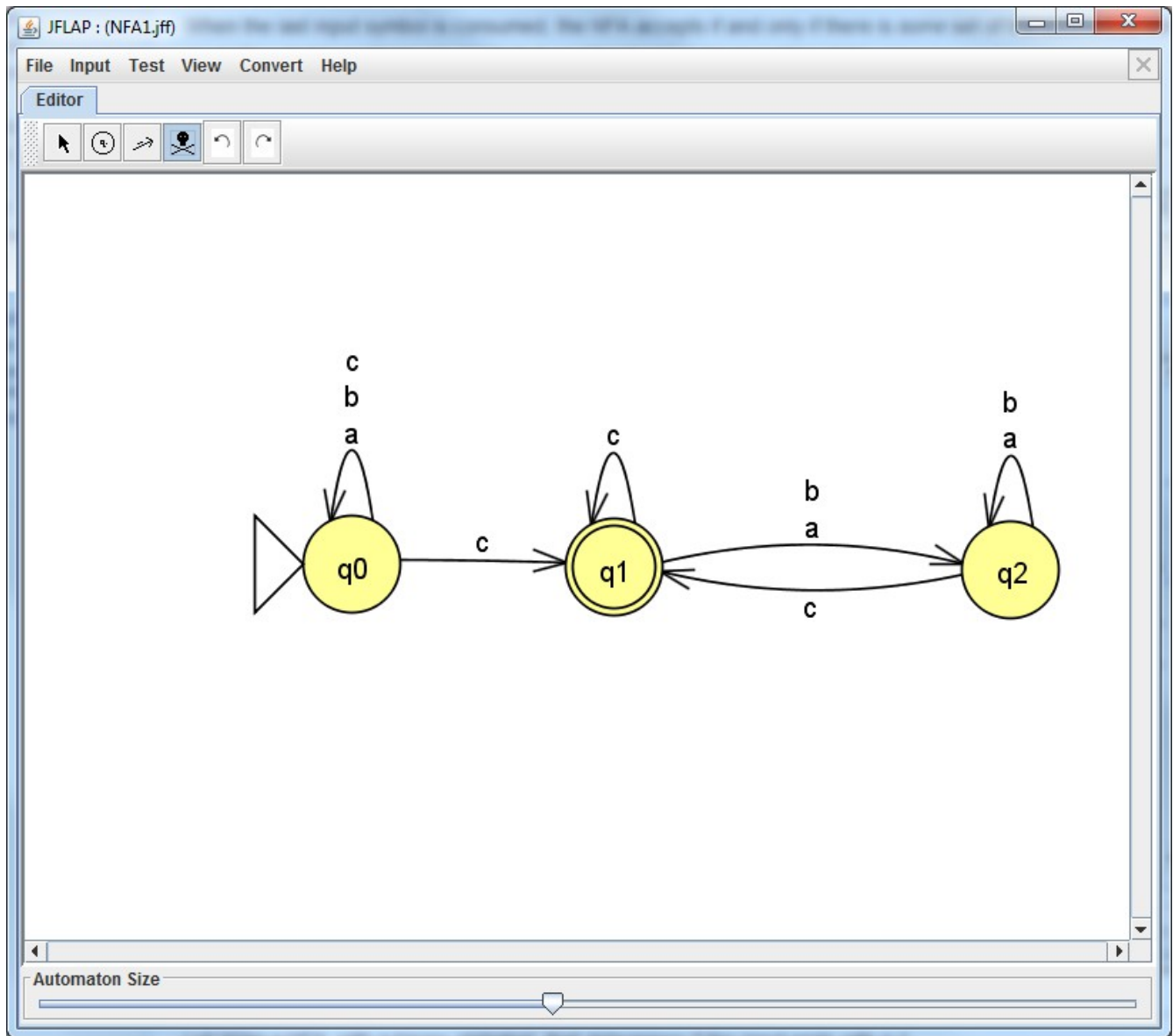
## NFA to DFA EXERCISE

Given the Alphabet  $\{a,b,c\}$  construct a NFA which accepts  $(a|b|c)^*c$  and the following NFA construct a DFA.

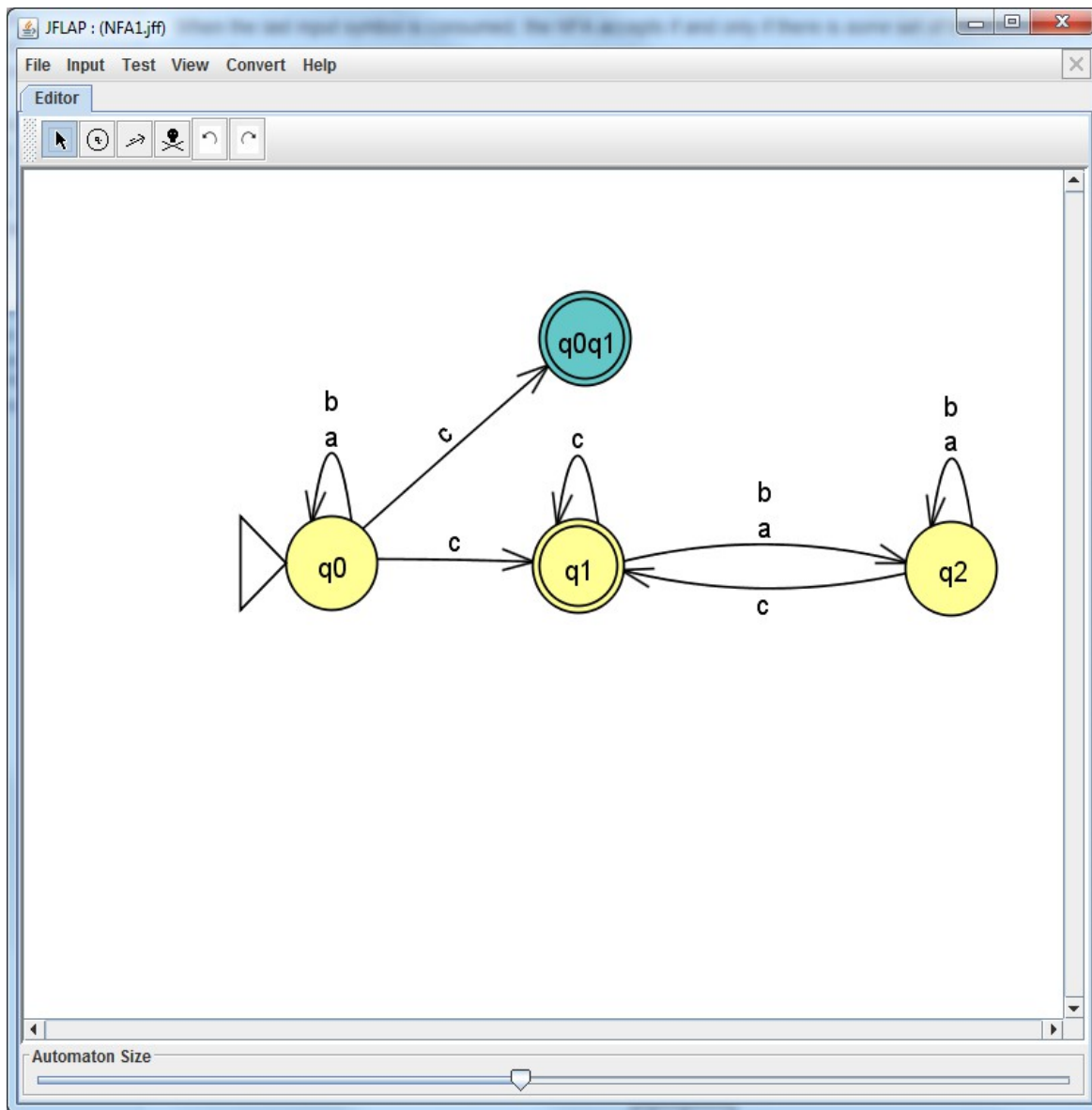


## Solution

Start by explicitly making a reject state from the acceptance state  $q_1$ . Since strings ending in an a or b must be rejected. Since we are building toward a DFA, we need to make sure that all transitions are represented on the reject state.

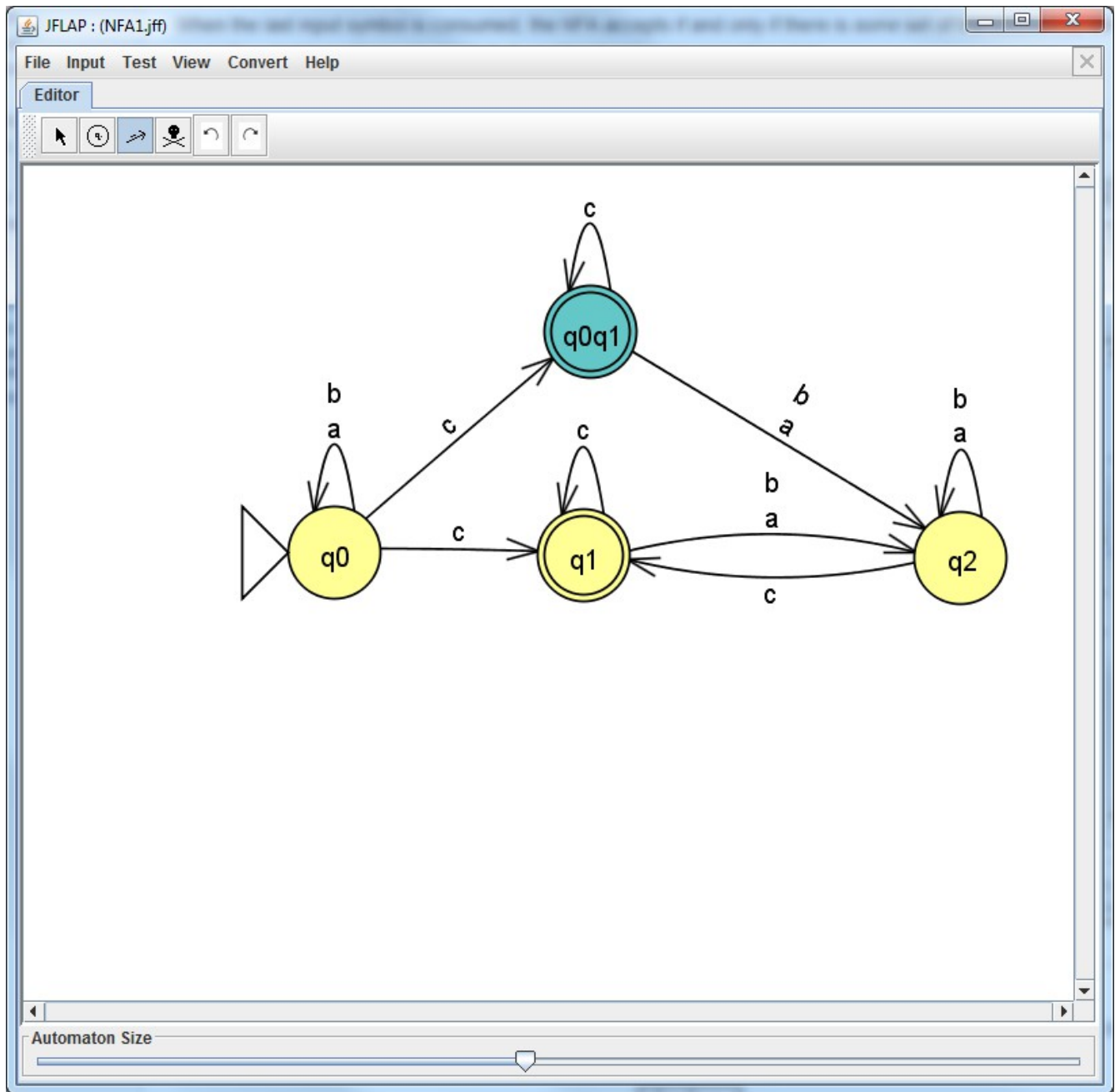


Then, split state  $q_0$  into the deterministic and non-deterministic parts, call the non-deterministic part  $q_0$   $q_1$ , to indicate it is currently in both possible states. We will do this in a few steps to be clear.



Now we need to determine the transitions out of  $q_0q_1$  on  $a$ ,  $b$  and  $c$ .

On a  $c$  we can accept. On an  $a$  or  $b$  we need to reject



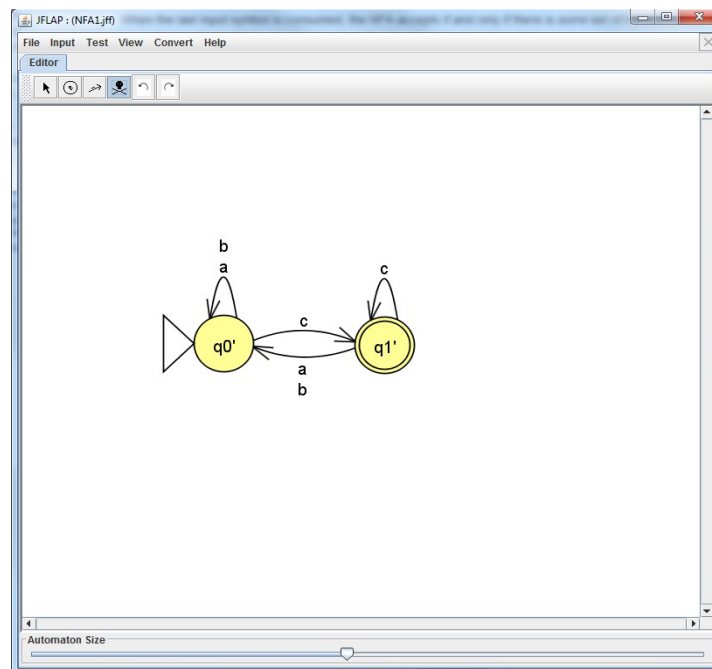
List the next states for each state

	a	b	c
Current state			
$q_0$	$q_0$	$q_0$	$q_0q_1, q_1$
$q_1$	$q_2$	$q_2$	$q_1$
$q_2$	$q_2$	$q_2$	$q_1$
$q_0q_1$	$q_2$	$q_2$	$q_0q_1$

Notice that  $q_1$  and  $q_0q_1$  are accepting states with exactly the same next state function, so these are equivalent. So we can merge these, call it  $q_1'$

	a	b	c
Current state			
$q_0$	$q_0$	$q_0$	$q_1'$
$q_1'$	$q_2$	$q_2$	$q_1'$
$q_2$	$q_2$	$q_2$	$q_1'$

Notice that  $q_0$  and  $q_2$  are non-accepting states with exactly the same next state function. So we can merge. Call it  $q_0'$



Of course, you can use the tool as well. Convert to DFA

